DENSITY FUNCTIONAL CALCULATIONS OF THE CRYSTAL FIELD IN UPD₃, UGA₂, AND UPD₂AL $_3$ ¹

Manuel Richter^{†2}, Lutz Steinbeck[†], Martin Diviš[‡], Helmut Eschrig[†]

†MPG Research Group 'Electron Systems', University of Technology,

D-01062 Dresden, Germany

[‡]Department of Metal Physics, Charles University, Ke Karlovu 5, 121 16 Prague 2, Czech Republic

Received 31 July 1995, accepted 8 February 1996

1. Introduction

Atoms with incompletely filled shells not involved in the chemical bonding may exhibit a class of low-energy excitations responsible for a multitude of physical phenomena and peculiarities: the crystal field (CF) excitations. These excitations originate from the splitting of degenerate $|J \neq 0\rangle$ states into crystal field levels $|J\Gamma_n\rangle$ in a non-spherical environment, described by the CF Hamiltonian [1],

$$H_{CF} = \sum_{lm} B_{lm} \hat{O}_{lm} .$$

 Ξ

The Stevens operator equivalents \hat{O}_{lm} are polynomials in \hat{J}_x , \hat{J}_y , and \hat{J}_z , and the CF parameters B_{lm} can be obtained from

$$B_{lm} \propto \int dr r^2 V_{lm}(r) \rho^*(r) ,$$
 (2)

where $V_{lm}(r)$ is the lm-component in a spherical harmonics representation of the potential and $\rho^*(r)$ is the spherically averaged charge density of the incompletely filled shell.

In many metallic 4f systems, there is direct (inelastic neutron scattering) or indirect (magnetic, thermodynamic and transport properties) experimental evidence for CF splitting [2]. There are many 5f intermetallic compounds, too, where the CF model was used to explain indirect effects, but up to now UPd₃ is the only example where CF excitations [3] and inter-multiplet transitions [4] have been directly measured. The rare occurrence of CF excitations in 5f intermetallics can be understood from the stronger

¹Presented at 9th Czech and Slovak conference on magnetism, Košice, Slovakia, August 28-30 1995 ²E-mail address: manuel@tmps06.mpg.tu-dresden.de

Density Functional Calculations ...

time scale than the lifetime needed for sharp CF excitations (>10⁻¹¹ s). bonding. If bands are formed, the occupation number will fluctuate on a much smaller tendency of the 5f states in comparison to the 4f states to participate in the chemical

fermion compound UPd2Al3 (see Ref. [7] for localized and Ref. [8] for itinerant 5f favouring localized behaviour, Ref. [6] favouring a delocalized picture) and the heavy tem UPd3, two compounds which have been controversially discussed: UGa2 (Ref. [5] In this paper we shall consider, besides the aforementioned clearly localized 5f sys-

2. Method

in 5f intermetallic compounds. now there exist, to our knowledge, no 'first principles' calculations of the CF parameters 4. A comparable quality of matching has been obtained in earlier LDA calculations without SIC but employing artificial constraints on the 4f charge density [12]. Up to deviate from CF parameters obtained from fits to experimental data by factors up to states correctly. In particular, the single particle energies obtained in the mean field calculations employing the local density approximation (LDA). Working remarkably CF parameters of 4f intermetallics calculated in this way without artificial assumptions by the application of the self-interaction correction (SIC, [11]) to the localized states the 'tail' region. It has been shown recently [9, 10] that this problem can be overcome like LDA scheme are too high in energy and the related falloff of $\rho^*(r)$ is too small in well for delocalized (i.e., bonding) states, this approximation fails to describe localized density. The first ingredient is obtained from so-called full-potential density functional contributions generated by the on-site f charge itself, and ii) the accurate radial f charge the atomic site under consideration in a non-spherical representation, excluding the Two ingredients are required to calculate the CF parameters: i) the potential around

out to change the resulting CF parameters up to factors of three if compared with a scalar relativistic calculation of ρ^* . core states and, in particular, 5f states are obtained from the solution of the full effective improved in future calculations, but it is generally accepted to yield fairly accurate Dirac equation. The inclusion of spin-orbit interaction in the calculation of $\rho^*(r)$ turned valence charge densities and potentials even in actinide systems. On the other hand, been treated in the scalar relativistic approximation. This might be a point to be method as in the aforementioned calculations on 4f systems [9]. The band states have In this first attempt we used the SIC-LDA linear combination of atomic orbitals

3. Results and Discussion

of the ³H₄ state is overestimated, however, by one order of magnitude (360 meV for state symmetry can be reproduced from our results. The gross intra-multiplet splitting inequivalent U sites [3], and the measured inter-multiplet excitations demonstrate that the U configuration is 5f2 [4]. Assuming this configuration to be valid, the ground In the case of UPd3, the experimental data point to a singlet ground state for both

> in future analyses of experimental data based on the CF model. This points to the necessity of considering the full trigonal symmetry of the U-2a site the U-2a position $(B_{43}/B_{40}=-20\sqrt{2}, [13])$, we have found the relation $B_{43}/B_{40}\approx-11$. which was restricted to a quasi-cubic approximation for the CF Hamiltonian related to meV (doublet) at the hexagonal site in comparison to measured values of 1.5 meV and following values are found: calculated 136 meV (doublet) at the quasicubic and 160 of the neutron excitations using the CF eigenstates of Hamiltonian (1). Comparing compared with 46 meV and 40 meV, respectively, obtained from a CF parameter fit to these details refined are under preparation. In contrast to the experimental analysis technical details of the calculation than in the case of 4f systems. New calculations with the strongest excitations from the ground state with the only measured excitations, the the two measured transitions [3]). We have also calculated the transition probabilities the quasicubic and 290 meV for the hexagonal U position in the calculation to be 15.0 meV, respectively. It should be noted that these results are much more sensitive to

magnitude is assumed. Details of these calculations will be published elsewhere [14]. the magneto-crystalline anisotropy, if an interatomic exchange-coupling of appropriate and found a much better agreement with experiment for both the total moment and theory [14] we have calculated CF parameters related to a localized 5f2 configuration by the difficulty to describe measured magnetization curves by the conventional band suggesting a 5f² ground state [5] as in the case of UPd₃. Motivated by this fact and There do exist experimental data on the hexagonal ferromagnetic compound UGa₂

of $\rho^*(r)$ due to the large charge density of the nearest neighbor Pd atoms forming a of states is more appropriate for this peculiar compound remains open. easy axis of magnetization. This parameter, however, is extremely sensitive to the shape suming this interpretation to be correct we have calculated the related CF parameters. hexagon around U. The question whether a localized or a delocalized description of the It is found that the second order parameter B_{20} is not consistent with the measured hexagonal plane have been interpreted in terms of a localized 5f² configuration [7]. Asnetic phase and the highly anisotropic magnetic susceptibility with easy direction in the LDA band structure results [8]. On the other hand, the specific heat in the paramag-Haas - van Alphen data on this compound have been explained in terms of conventional A more subtle example is the heavy fermion compound UPd₂Al₃. Very recently, de

gratefully acknowledged. The work done in Prague was supported via GAUK228. Acknowledgement Helpful and stimulating discussions with J. Forstreuter, C. Geibel, L. Havela, J. Kübler, V. Nekvasil, L. Sandratskii, V. Sechovski, and F. Steglich are

References

- K.W.H. Stevens: Proc. Phys. Soc. A65 (1952) 209
- P. Fulde, M. Loewenhaupt: Adv. in Physics 34 (1986) 589.
- <u>3</u> 2 E W.J.L. Buyers, T.M. Holden: in: Handbook on the Physics and Chemistry of Actinides, Vol. 2, Eds. G.H. Lander and A. Freeman, North-Holland, Amsterdam 1985, p. 239.
- <u>4</u> 2 R. Osborn, K.A. McEwen, E. Goremychkin, A.D. Taylor: Physica B 163 (1990) 37.
- R. Ballou, A.V. Dreiagin, F. Givord, R. Lemaire, R.Z. Levitin, F. Tasset: Journ. de Physique 43 (1982) C7-279.

- [6] B. Reihl, M. Domke, G. Kaindl, G. Kalkowski, C. Laubschat, F. Hulliger, W.D. Schneider: Phys. Rev. B 32 (1985) 3530.
- [7] A. Böhm, A. Grauel, N. Sato, C. Schank, C. Geibel, T. Komatsubara, G. Weber, F. Steglich: Proc. Int. Conf. on the Physics of Transition Metals, Darmstadt 1992 (Eds. P.M. Oppeneer and J. Kübler, World Scientific, Singapore 1992, p. 34.
- [8] L.M. Sandratskii, J. Kübler, P. Zahn, I. Mertig: Phys. Rev. B 50 (1994) 15834.
- [9] L. Steinbeck, M. Richter, H. Eschrig, U. Nitzsche: Phys. Rev. B 49 (1994) 16289.
- [10] P. Novák, J. Kuriplach: Phys. Rev. B 50 (1994) 2085.
- [11] J.P. Perdew, A. Zunger: Phys. Rev. B 23 (1981) 5048.
- [12] G.H.O. Daalderop, P.J. Kelly, M.F.H. Schuurmans: J. Magn. Magn. Mat. 104-107 (1992)
- [13] K.A. McEwen, U. Steigenberger, J.L Martinez: Physica B 186-188 (1993) 670.
- [14] M. Diviš, M. Richter, H. Eschrig: (1995) submitted to Phys. Rev. B.